

# GdR Complexe Annual Workshop

2020/12

OSUG



## Mesoscopic wave physics in fish shoals

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<sup>5</sup> University of Manitoba, Department of Physics & Astronomy, Winnipeg, Canada

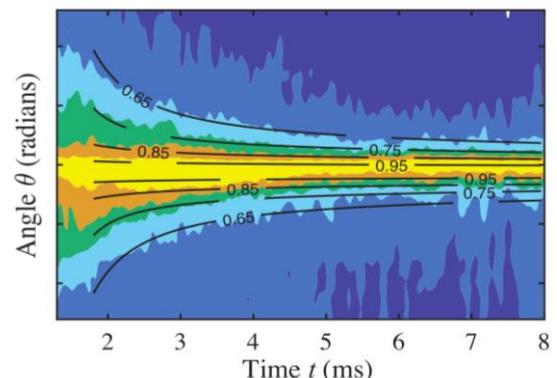


# Outline

- Shoals biomass estimation
  - Counting methods for low fish densities
  - Multiple scattering issues
  - Open sea cages
- Mesoscopic wave physics for biomass assessment
  - Spatial correlations and intensity probability density
  - Coherent backscattering (CBS)

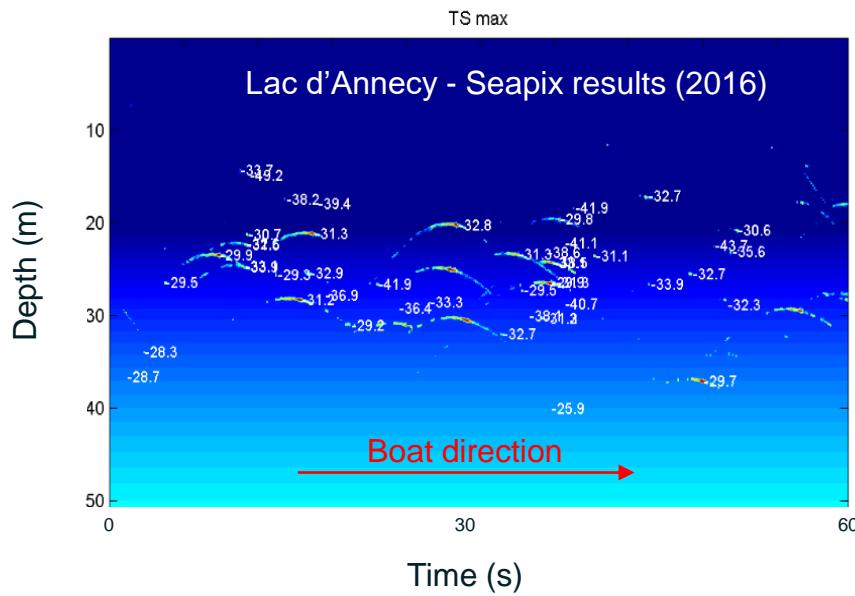


Cannes aquafrais



# Shoal biomass estimation : low density

- Well separated targets  
⇒ Echo-counting

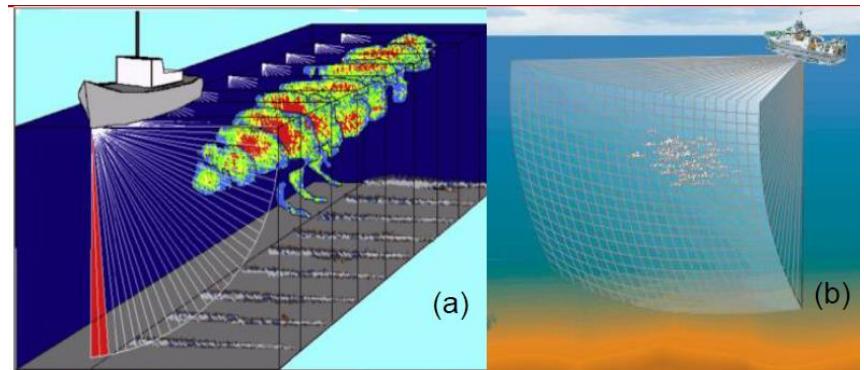


$$T_S \propto \log L$$

Target Strength      Fish length

J. Simmonds and D. N. MacLennan, *Fisheries Acoustics* (2008)

- Diluted shoals  
⇒ Echo-integration



**Fig. 1:** (a) 3D acquisition with a multi-beam sounder with juxtaposition of 2D images formed along the plan perpendicular to the vessel route; in red, zone sampled by a vertical sonar. (b) Geometry of the acquisition with 3D sounders (from Simrad Compagny).

$$E \propto N \times T_S$$

Backscattered energy      Target Strength

Number of fish

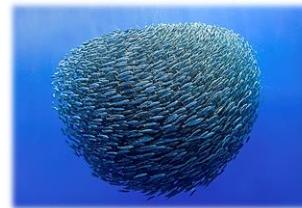
K. G. Foote, *J. Acoust. Soc. Am.* **73**, 1932 (1983)

Single scattering approximation

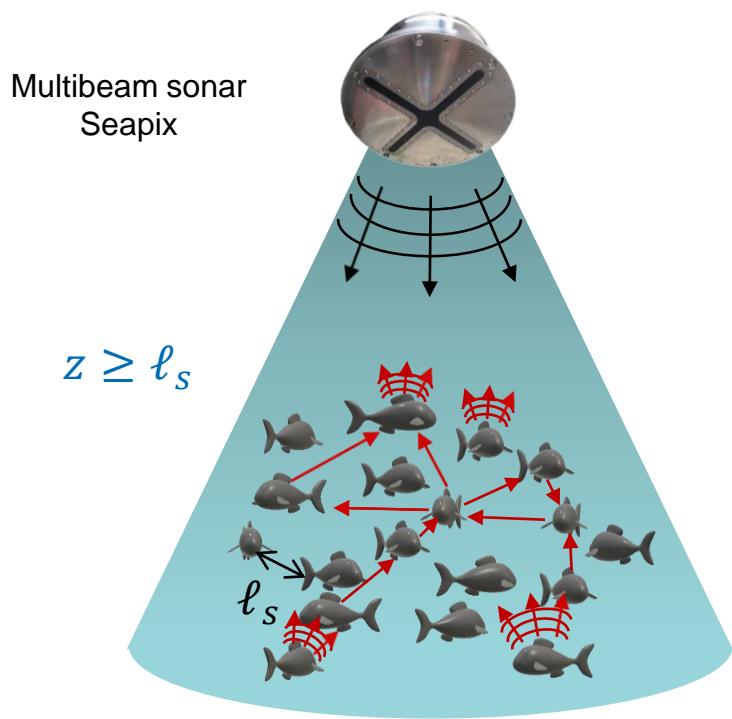
# Shoal biomass estimation : high density

## High fish density:

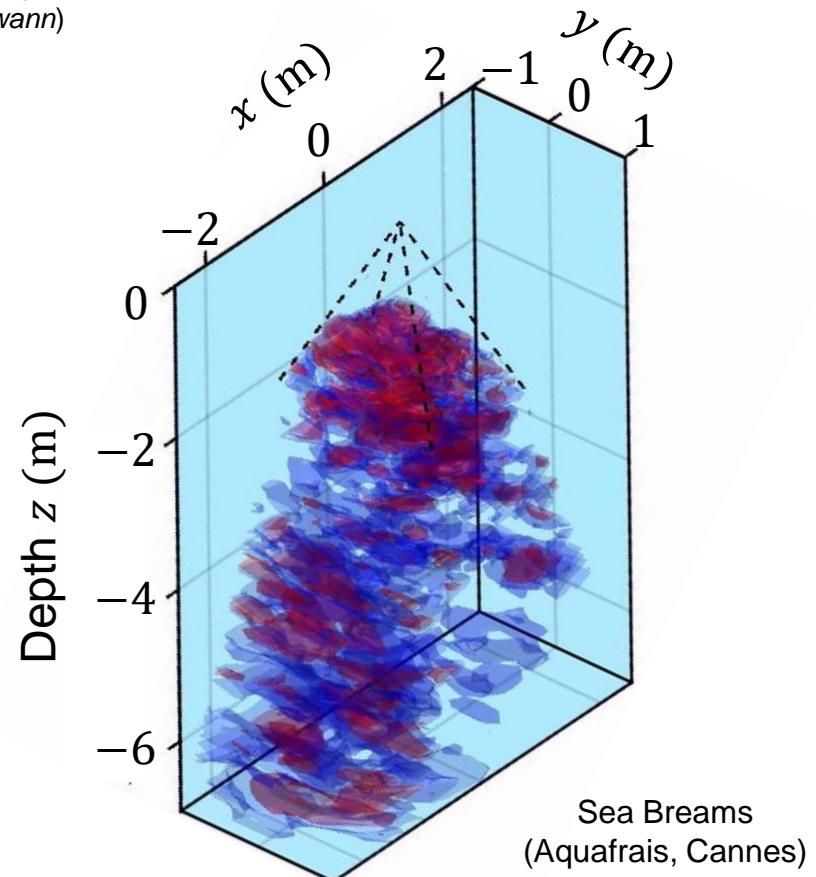
- Gregarious species
- Aquaculture



Cannes aquaculture  
(*S. Pasta*)



Multiple scattering regime  
⇒ Biased biomass estimation



# Shoal biomass estimation : impact of multiple scattering

## Effects of multiple scattering:

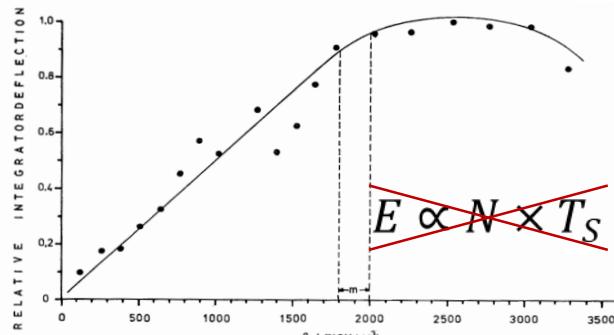
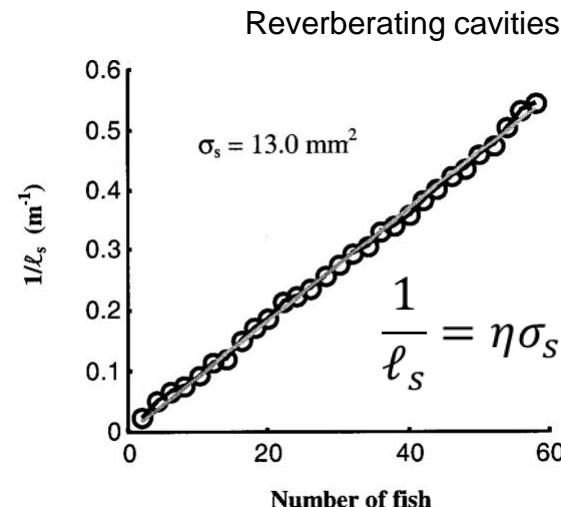


Fig. 7. Observations of relative integrator deflection on densities of sprat at 38 kHz.  
Legend as in Fig. 5.

I. Røttingen, *FiskDir. Skr. Ser. 16*, 301 (1976)



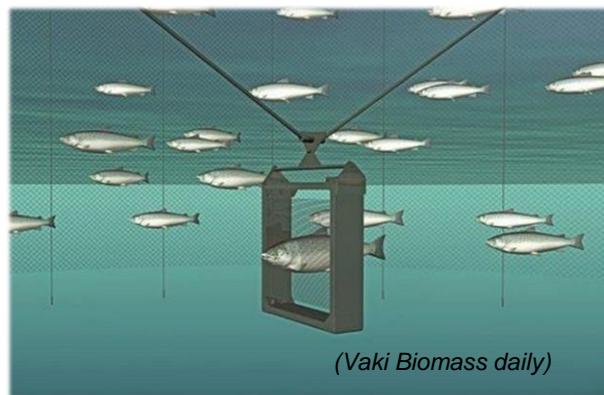
J. De Rosny and P. Roux, *J. Acoust. Soc. Am.* **109**, 2587 (2001)

## Solutions :



Cannes aquafrais

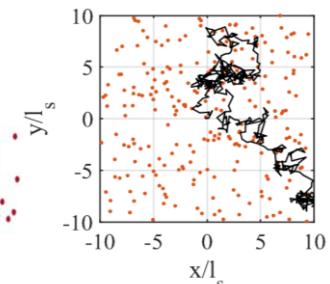
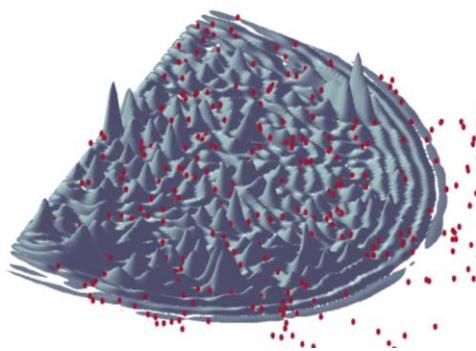
Manual counting  
(invasive)



Counting by doors  
(local)

# Mesoscopic wave physics for biomass assessment

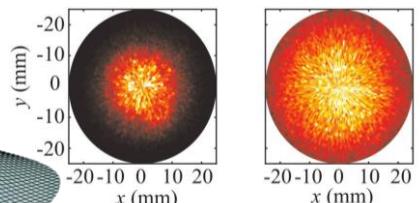
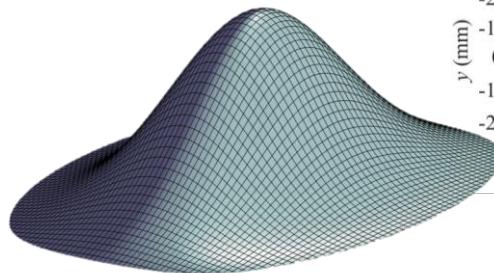
Microscopic description (scale  $\sim \lambda$ ):



Random walk of propagation direction

Random walk transport

Macroscopic description (scale  $\gg \lambda$ ):

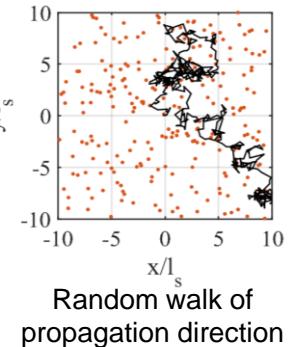
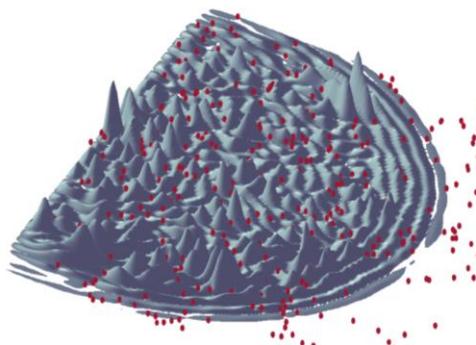


Diffusion of an acoustic point source

Diffusive transport

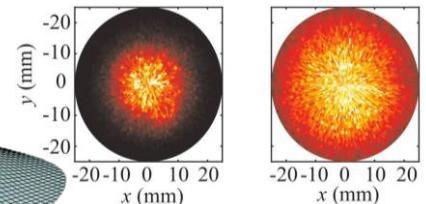
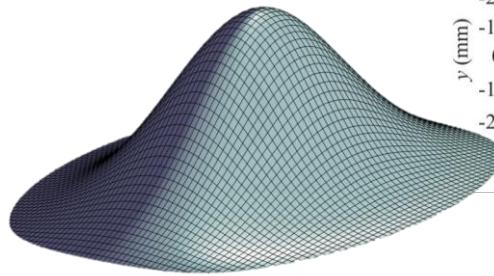
# Mesoscopic wave physics for biomass assessment

Microscopic description (scale  $\sim \lambda$ ):



Random walk transport

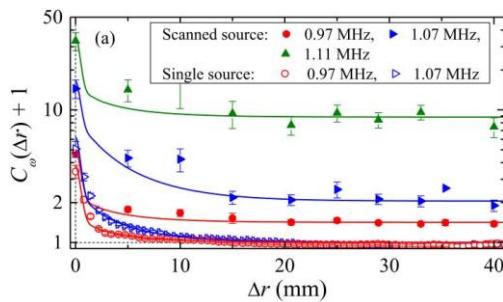
Macroscopic description (scale  $\gg \lambda$ ):



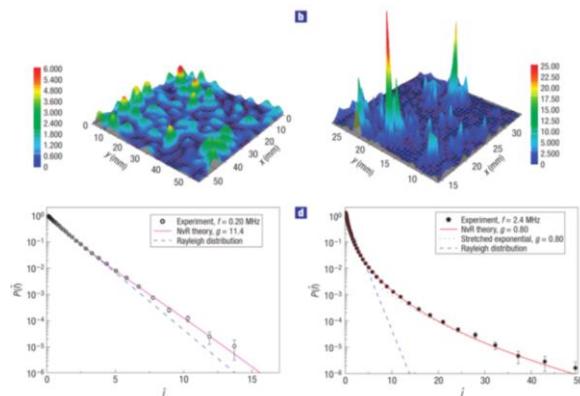
Diffusive transport

Mesoscopic wave phenomena ( $\ell_s \sim \lambda$ ):

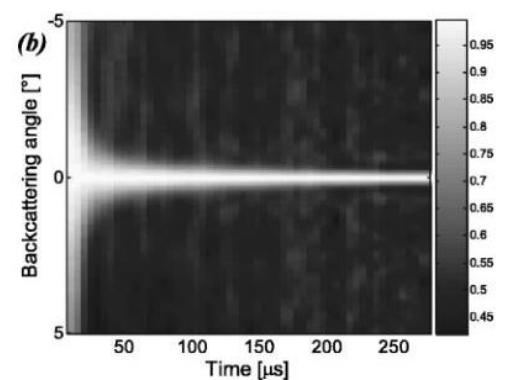
impact of microscopic interferences of the macroscopic description



Long range correlations  
(K. Hildebrand *et al.*,  
*Phys. Rev. Lett.* **112**, 2014)

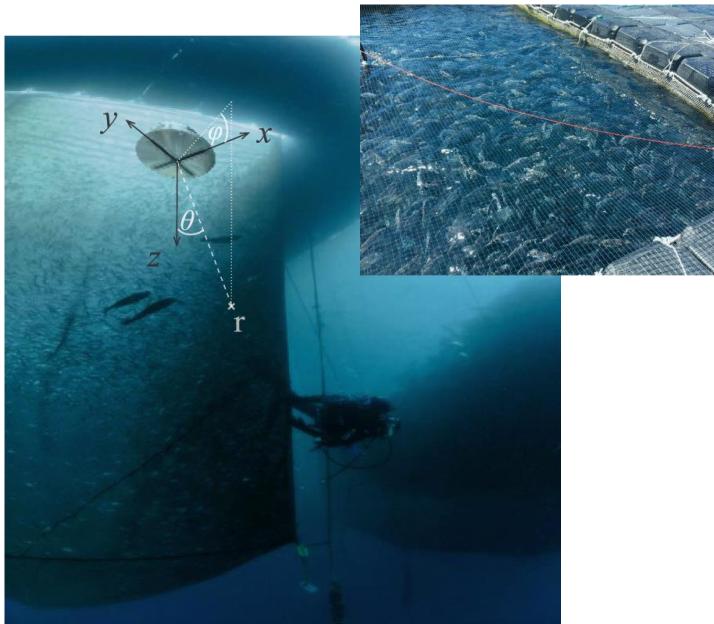


Non Rayleigh distribution of ultrasonic speckle  
(H. Hu *et al.*, *Nat. Phys.* **4**, 2008)



Coherent backscattering  
(A. Aubry *et al.*, *JASA* **121**, 2007)

# Multiple scattering in open sea cages



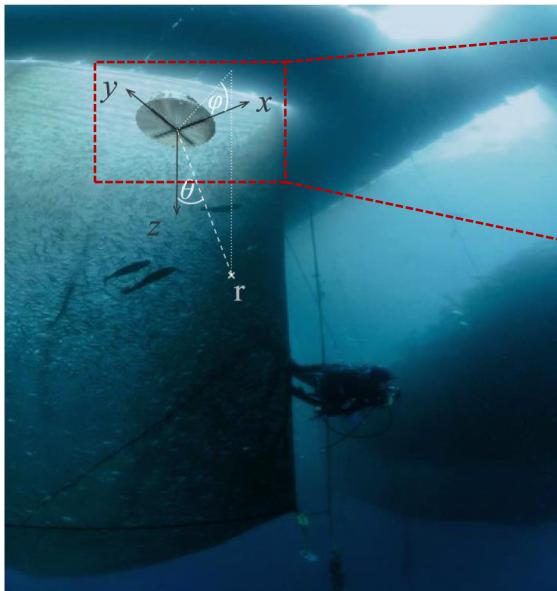
Sea breams cage (Cannes aquafrais)

Organic certified farm:

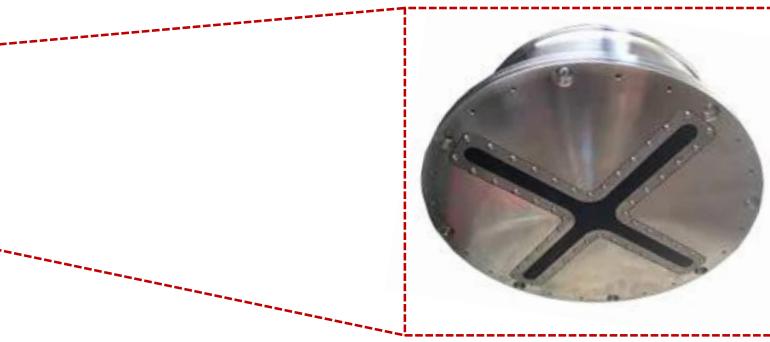
- Fish raised under conditions close to their natural environment (selected species, densities, size...).
- Necessity of developing non-invasive monitoring methods.

	$N$	$W$	$\eta \text{ (kg/m}^3\text{)}$	$V \text{ (m}^3\text{)}$
C1 (sea breams, fry)	75,000	10	6	125
C2 (sea breams, adults)	5,000	500	7	343
C3 (sea breams, adults)	10,080	284	23	125
C4 (sea breams, adults)	6,000	320	15	125
C5 (croakers, adults)	13,900	886	24	512

# Multiple scattering in open sea cages



Sea breams cage (Cannes aquafrais)



SeapiX (iXblue):

- Mills cross shaped antenna
- 64+64 ultrasonic transducers ( $\phi = \lambda/2$ )
- $f = 150$  kHz ( $\lambda = 1$  cm)
- Acquisition sequence repeated every 30 ms

3 acquisition sequences:

Point source

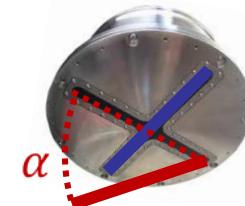


— Emission  
— Reception

Plane wave

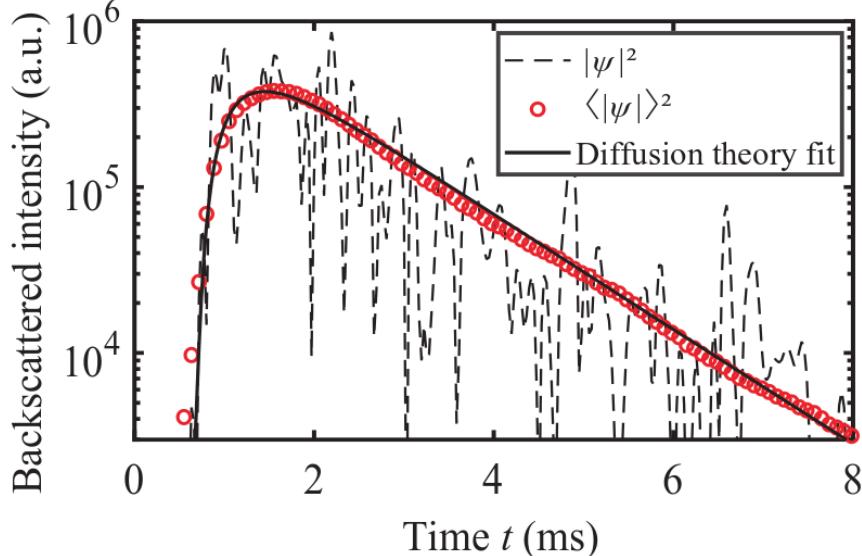


Scan



# Mesoscopic wave physics for biomass assessment

## Average intensity:



## Diffusion theory:

$$\langle I(t) \rangle = \frac{I_0}{2\pi} \int_{-\infty}^{+\infty} \frac{z_0 e^{-\gamma_0 z'}}{D(1 + \gamma_0 z_0)} e^{-i\Omega t} d\Omega$$

with:

$$\gamma_0^2(\Omega) = \frac{-i\Omega}{D} + \frac{1}{D\tau_a}$$

$$z_0 = \frac{2}{3} + \frac{1+R}{1-R} \ell^*$$

$D$ : diffusivity

$\tau_a$ : absorption time

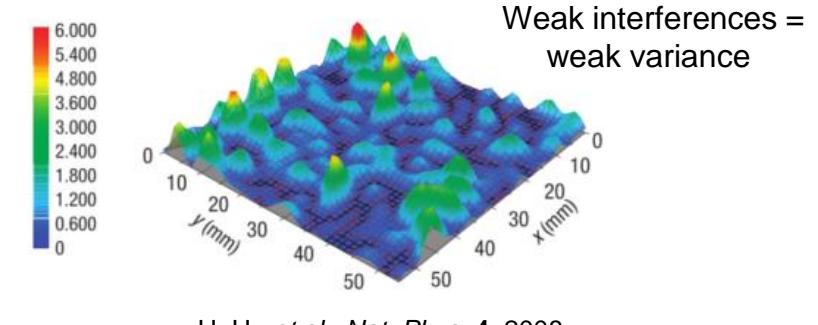
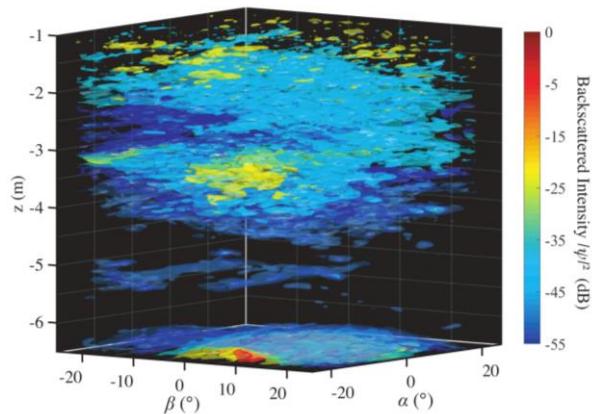
$R$ : reflection coefficient  
(water/air)

$\ell^*$ : transport mean  
free path

	$N$	$W$	$\eta$ (kg/m <sup>3</sup> )	$V$ (m <sup>3</sup> )
C1 (sea breams, fry)	75,000	10	6	125
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# Mesoscopic wave physics for biomass assessment

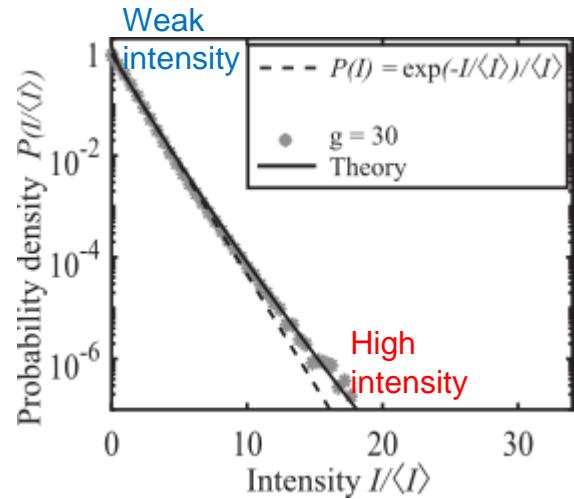
Acoustic intensity distribution : the « conductance »  $g$



H. Hu *et al.*, *Nat. Phys.* **4**, 2008

	$N$	$W$	$\eta$ (kg/m <sup>3</sup> )	$V$ (m <sup>3</sup> )
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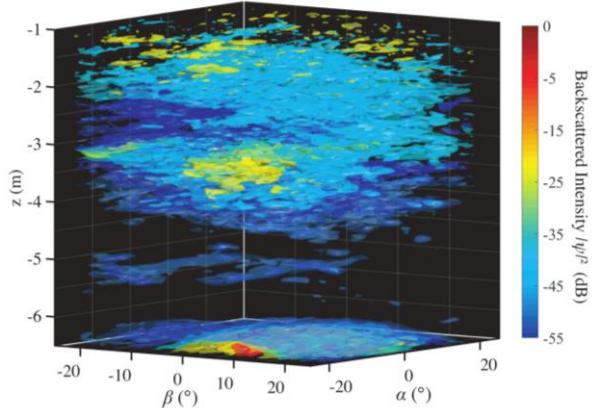
$g = 30$



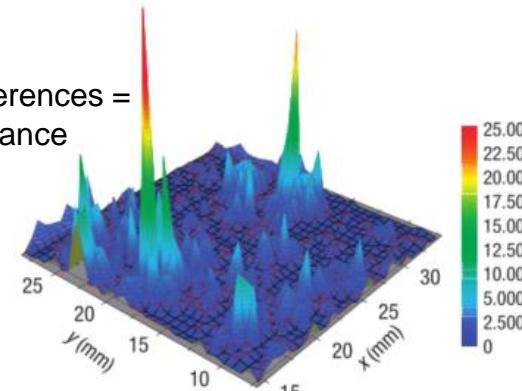
B. Tallon, P. Roux, G . Matte, J. Guillard, S. E. Skipetrov *AIP Adv.* **10**, 055208 (2020)

# Mesoscopic wave physics for biomass assessment

Acoustic intensity distribution : the « conductance »  $g$



Strong interferences =  
high variance

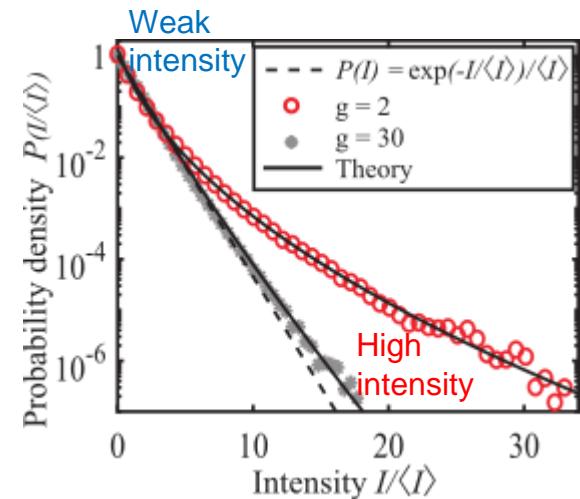


H. Hu et al., Nat. Phys. 4, 2008

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$g = 30$

$g = 2$



B. Tallon, P. Roux, G . Matte, J. Guillard, S. E. Skipetrov AIP Adv. 10,  
055208 (2020)

Th.M. Nieuwenhuizen and M.C.W. van Rossum,  
Phys. Rev. Lett. 74, 2674 (1995)

$$P(I/\langle I \rangle) = \int_0^{\infty} \frac{d\nu}{\nu} \int_{-\infty}^{+\infty} \frac{dx}{2\pi i} e^{\frac{I}{\langle I \rangle} + xv - f(\textcolor{red}{g})}$$

# Mesoscopic wave physics for biomass assessment

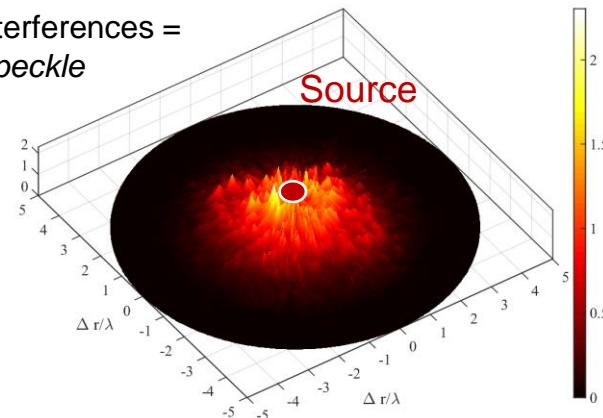
## Spatial correlations



Source

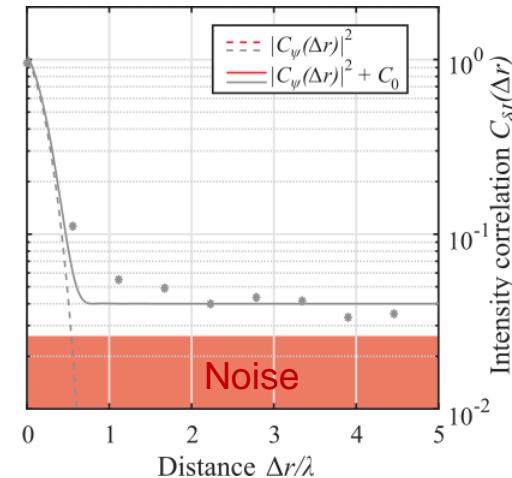
$$C(\Delta r) = \frac{\langle \delta(0)\delta I(\Delta r) \rangle}{\langle I(0) \rangle^2}$$

Weak interferences =  
speckle



	N	W	$\eta$ (kg/m <sup>3</sup> )	V (m <sup>3</sup> )
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$$C_0 = 0,04$$



B. Tallon, P. Roux, G . Matte, J. Guillard, S. E. Skipetrov *AIP Adv.* **10**, 055208 (2020)

# Mesoscopic wave physics for biomass assessment

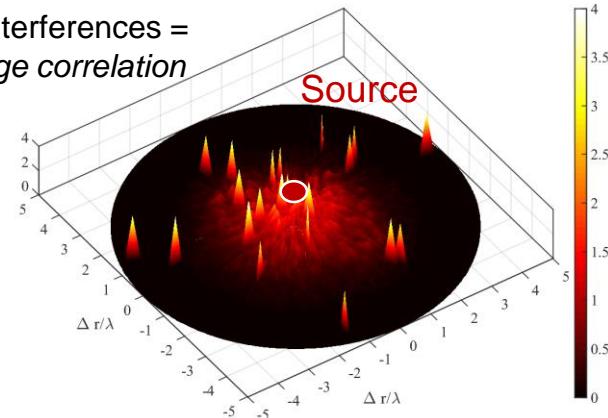
## Spatial correlations



Source

$$C(\Delta r) = \frac{\langle \delta(0)\delta I(\Delta r) \rangle}{\langle I(0) \rangle^2}$$

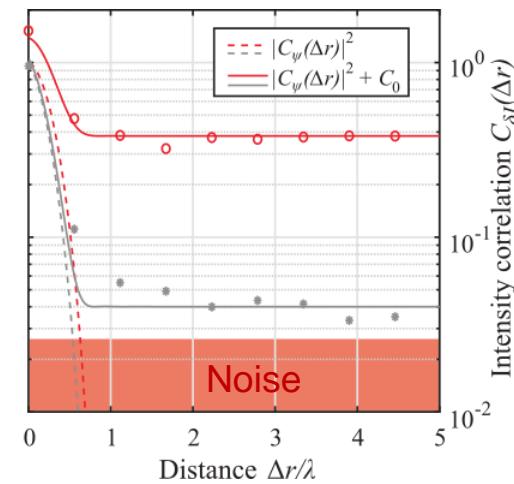
Strong interferences =  
long range correlation



	N	W	$\eta$ (kg/m <sup>3</sup> )	V (m <sup>3</sup> )
C1 (sea breams, fry)	75,000	10	6	125
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$$C_0 = 0,04$$

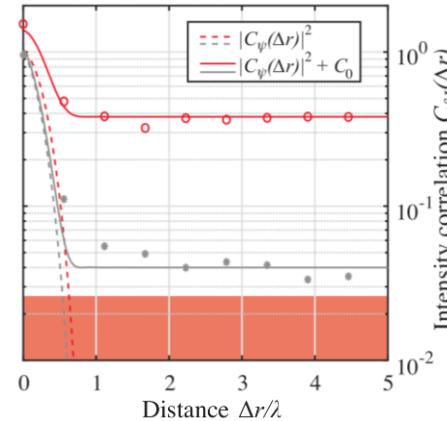
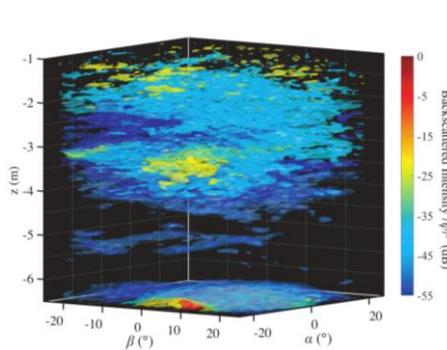
$$C_0 = 0,4$$



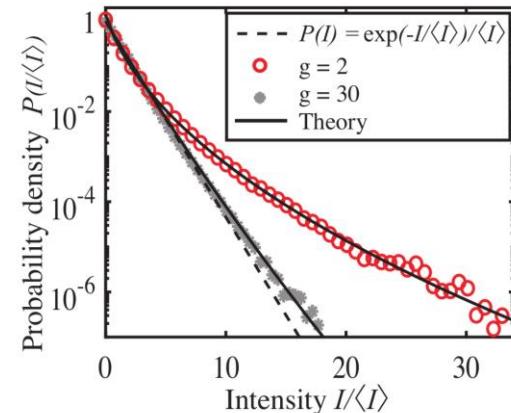
B. Tallon, P. Roux, G . Matte, J. Guillard, S. E. Skipetrov *AIP Adv.* **10**, 055208 (2020)

# Mesoscopic wave physics for biomass assessment

## Spatial correlations and Intensity distribution:



$$C_{\delta I} = |C_\psi|^2 + C_0$$



$$P(I/\langle I \rangle) = \int_0^\infty \frac{dv}{v} \int_{-i\infty}^{i\infty} \frac{dx}{2\pi i} e^{\frac{I}{\langle I \rangle} + xv - f(g)}$$

	$N$	$W$	$\eta$ (kg/m <sup>3</sup> )	$V$ (m <sup>3</sup> )
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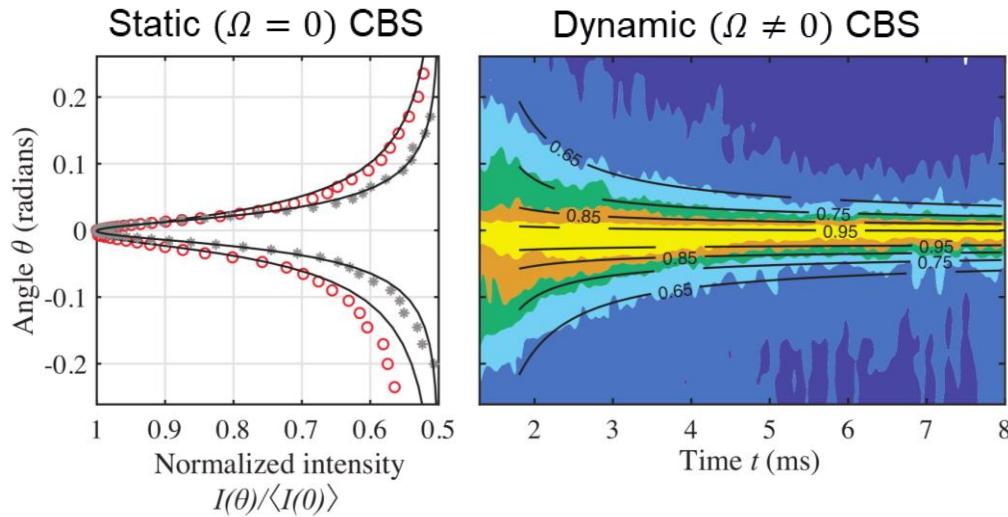
$$C_0 = 0.04, g = 30$$

$$C_0 = 0.4, g = 2$$

High fish density  
 ⇒ long range correlation +  
 low conductance

# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



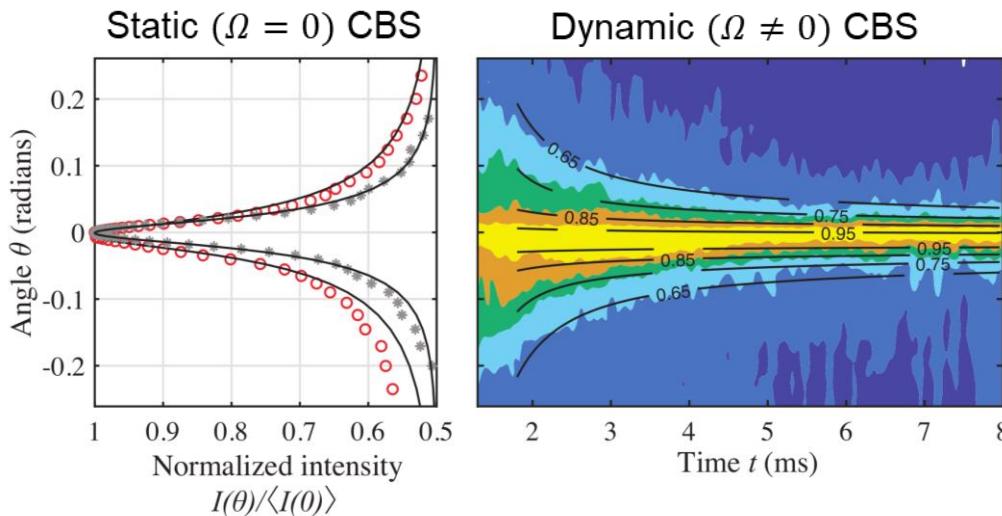
Plane wave



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# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



In the frequency domain:

$$\tilde{R}(\theta, \Omega) = \frac{e^{-\gamma_0 z'}}{1 + \gamma_0 z_0} + \frac{e^{-\gamma z'}}{1 + \gamma z_0}$$

$z'$ : source depth

$$\gamma = \sqrt{\frac{-i\Omega}{D} + k_0^2 \sin^2(\theta) + \frac{3}{\ell^* \ell_a}}$$

$$\gamma_0 = \gamma(\theta = 0)$$

$\ell_a$ : absorption length

$\ell^*$ : transport mean free path

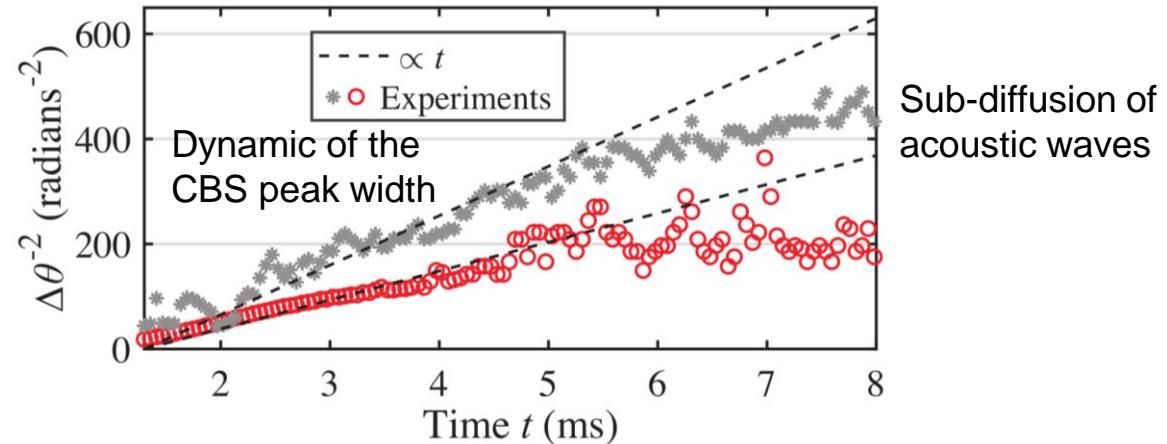
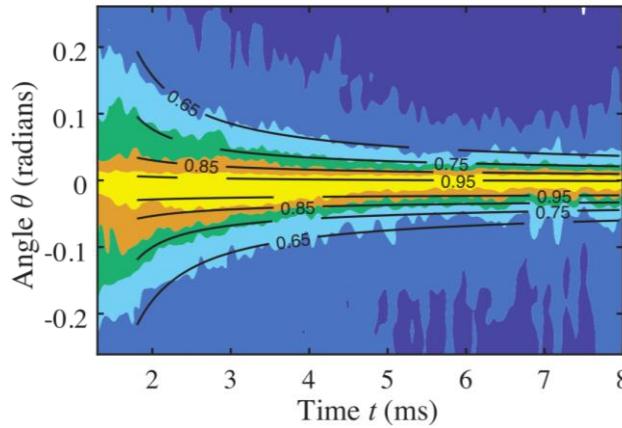
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$$\ell^* = 1.7\lambda$$

$$\ell^* = 0.7\lambda$$

# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



Diffusivity D can be estimated from the *dynamic* CBS profile

$$\Delta\theta^{-2} \propto Dt$$

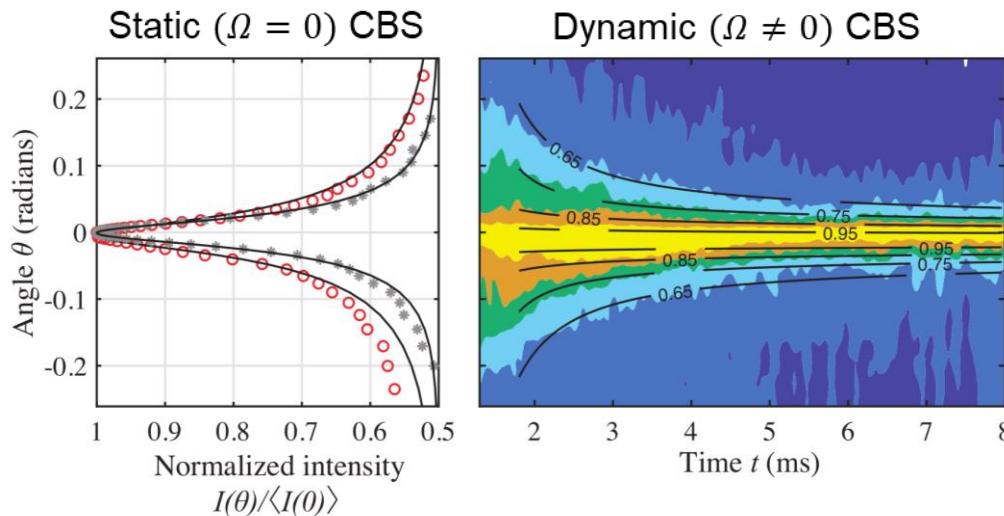
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$$\ell^* = 1.7\lambda, D = 0.2 \text{ m}^2/\text{s}$$

$$\ell^* = 0.7\lambda, D = 0.07 \text{ m}^2/\text{s}$$

# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



## Energy velocity of diffusive waves:

$$\ell^* = 1.7\lambda, D = 0.2 \text{ m}^2/\text{s}$$
$$\Rightarrow v_e = \frac{3D}{\ell^*} = 35 \text{ m/s}$$

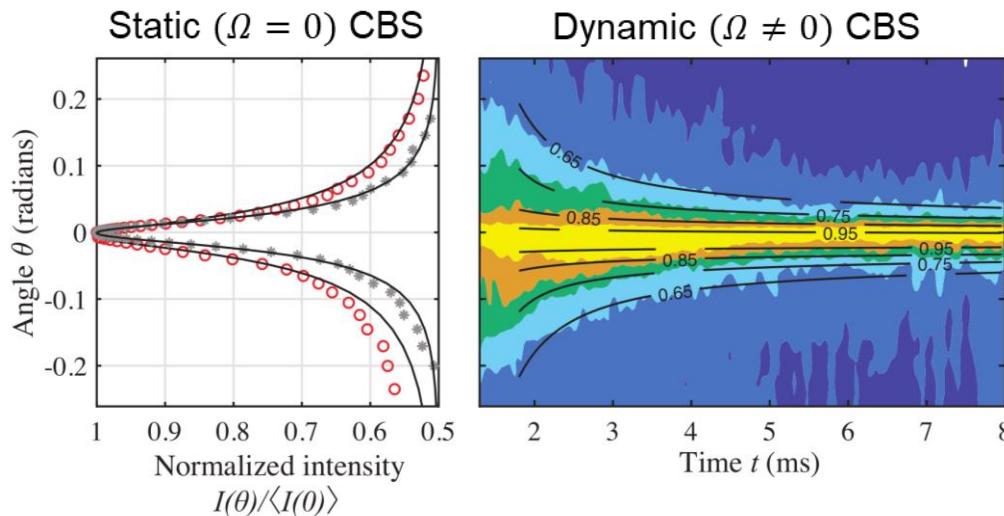
$$\ell^* = 0.7\lambda, D = 0.07 \text{ m}^2/\text{s}$$
$$\Rightarrow v_e = \frac{3D}{\ell^*} = 30 \text{ m/s}$$

Ultra-low transport velocity

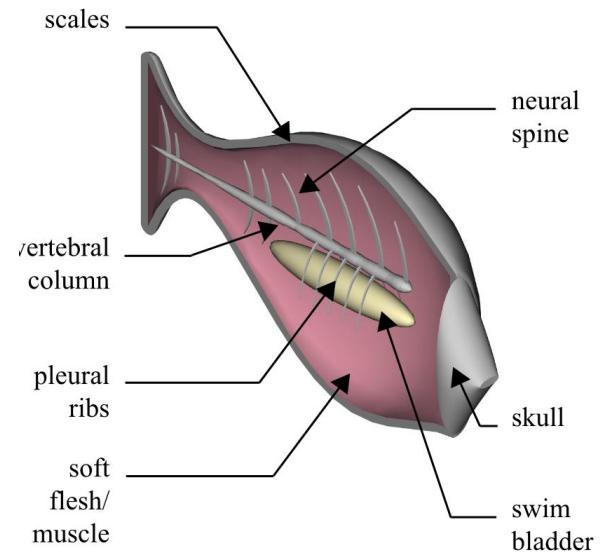
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# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



## Fish structure model : elastic medium



	$N$	$W$	$\eta$ (kg/m <sup>3</sup> )	$V$ (m <sup>3</sup> )
C1 (sea breams, fry)	75,000	10	6	125
C2 (sea breams, adults)	5,000	500	7	343
C3 (sea breams, adults)	10,080	284	23	125
C4 (sea breams, adults)	6,000	320	15	125
C5 (croakers, adults)	13,900	886	24	512

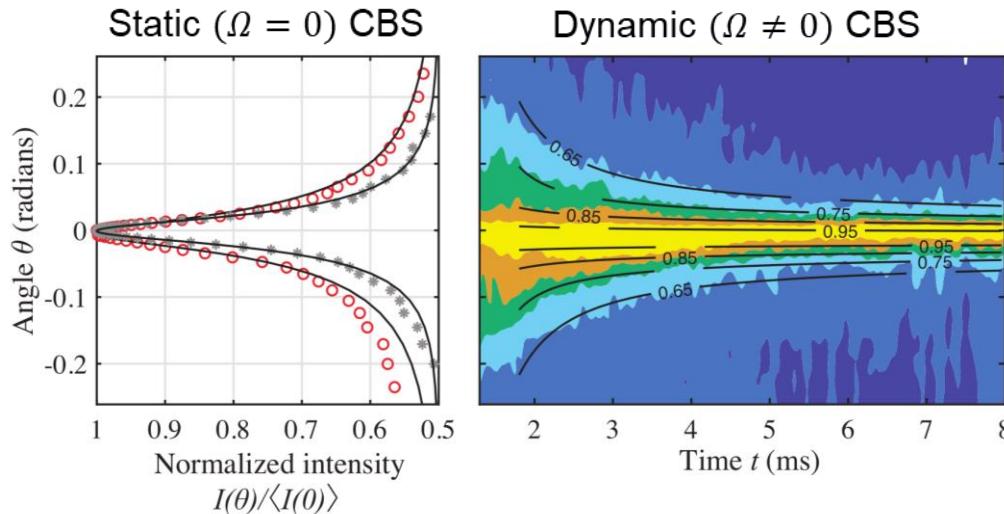
(1) Swim bladder:  $\sim$  air

(2) fish flesh:  $v_{l2} = 1600$  m/s  
 $v_{t2} = 10$  m/s

(3) fish bones:  $v_{l1} = 2340$  m/s  
 $v_{t1} = 1040$  m/s

# Mesoscopic wave physics for biomass assessment

## Coherent backscattering (CBS):



## Energy velocity of diffusive waves:

→ Assuming energy equipartition

$$(E_t/E_l = 2v_l^3/2v_t^3 \gg 1),$$

shear waves dominate in the fish.

$$\Rightarrow v_{fish} \sim v_t = 10 \text{ m/s}$$

$$v_{water} \sim v_0 = 1500 \text{ m/s}$$

$\phi$  fish volume fraction

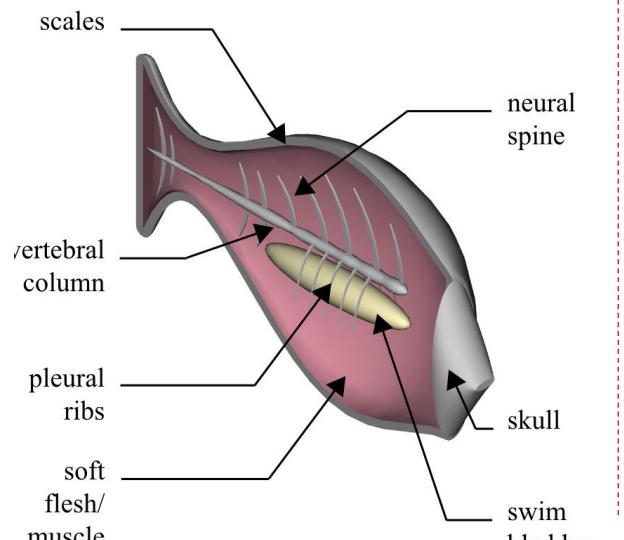
$$v_e = \frac{1 + (\phi/(1 - \phi))^{1/3}}{1/v_0 + (\phi/(1 - \phi))^{1/3}/v_t}$$

$$v_e \sim 30 \text{ m/s}$$

	N	W	$\eta$ (kg/m <sup>3</sup> )	V (m <sup>3</sup> )
C1 (sea breams, fry)	75,000	10	6	125
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# Mesoscopic wave physics for biomass assessment

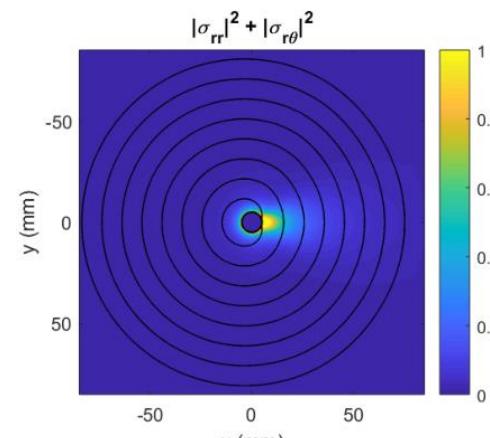
## Energy velocity of diffusive waves:



(0) sea water:

$$v_{l0} = 1480 \text{ m/s}$$

$$\rho_0 = 1 \text{ g/cm}^3$$



Map of scattered intensity

(1) Swim bladder:

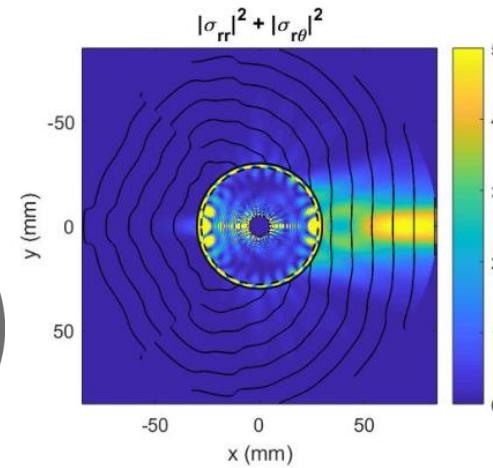
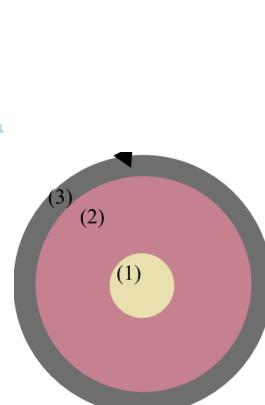
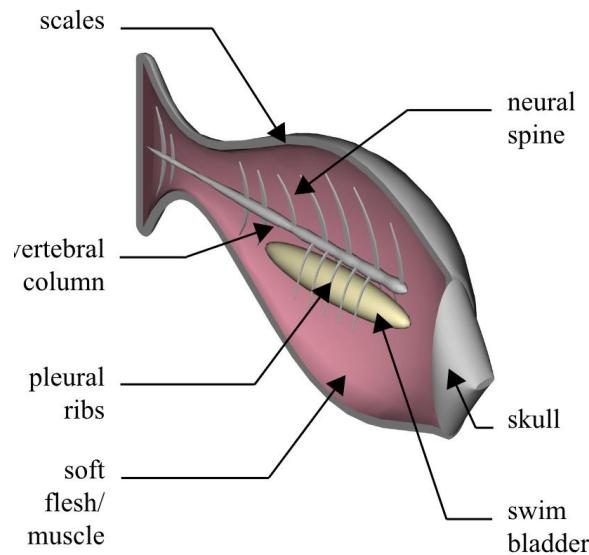
$$v_{l1} = 340 \text{ m/s}$$

$$\rho_1 = 0.001 \text{ g/cm}^3$$

$$R_1 = 5 \text{ mm}$$

# Mesoscopic wave physics for biomass assessment

## Energy velocity of diffusive waves:



$$v = 50 \text{ m/s}$$

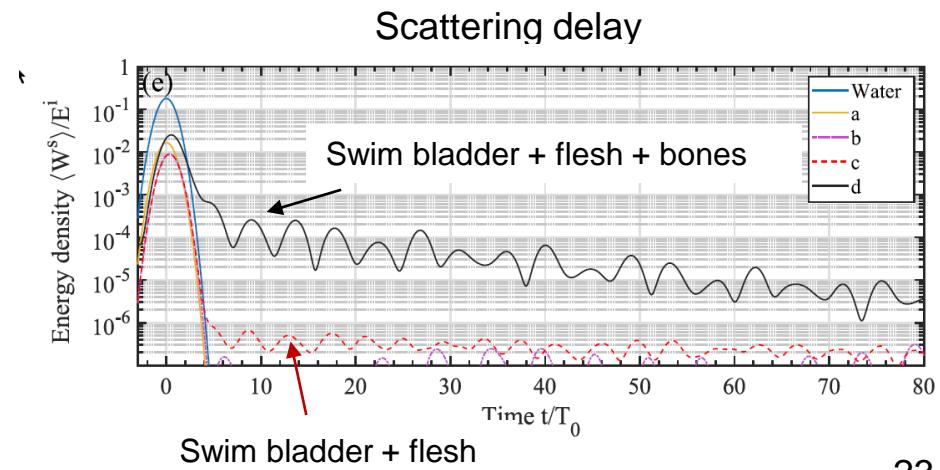
Map of scattered intensity

(0) sea water:  
 $v_{l0} = 1480 \text{ m/s}$   
 $\rho_0 = 1 \text{ g/cm}^3$

(2) fish flesh:  
 $v_{l2} = 1600 \text{ m/s}$   
 $\textcolor{red}{v_{t2} = 100 \text{ m/s}}$   
 $\rho_2 = 1.1 \text{ g/cm}^3$   
 $R_1 = 30 \text{ mm}$

(3) fish bones:  
 $v_{l1} = 2340 \text{ m/s}$   
 $v_{t1} = 1040 \text{ m/s}$   
 $\rho_1 = 1.4 \text{ g/cm}^3$   
 $R_1 = 31 \text{ mm}$

(1) Swim bladder:  
 $v_{l1} = 340 \text{ m/s}$   
 $\rho_1 = 0.001 \text{ g/cm}^3$   
 $R_1 = 5 \text{ mm}$



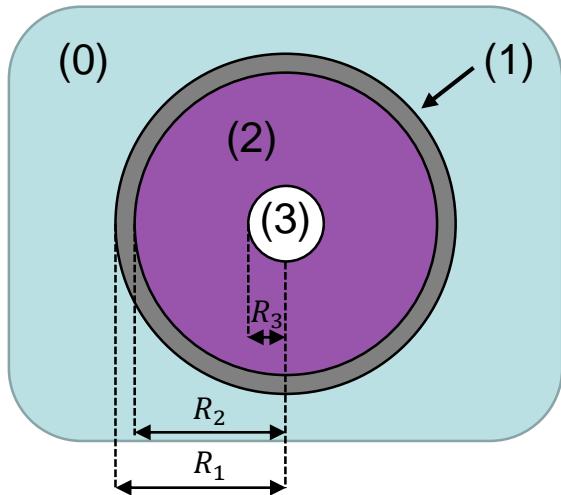
# Conclusions

- Conclusions
  - Observation of mesoscopic wave phenomena in fish shoals
  - Potential new tools for biomass assessment
- Perspectives
  - Long time range experiments (fish growth monitoring)



# Mesoscopic wave physics for biomass assessment

## Energy velocity of diffusive waves:



(0) sea water:  
 $v_{l0} = 1480 \text{ m/s}$   
 $\rho_0 = 1 \text{ g/cm}^3$

(2) fish flesh:  
 $v_{l2} = 1600 \text{ m/s}$   
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 $v_{l1} = 2340 \text{ m/s}$   
 $v_{t1} = 1040 \text{ m/s}$   
 $\rho_1 = 1.4 \text{ g/cm}^3$   
 $R_1 = 31 \text{ mm}$

(3) Swim bladder:  
~ vacuum  
 $R_1 = 5 \text{ mm}$

$$k^2 = \frac{\omega}{v_{\text{ph}}} + \frac{j}{2\ell_s}$$

$$= k_0^2 + 4\pi \int_R \eta_R f_R(0) da$$

$$\nu_{\text{gr}} = \frac{v_0^2/v_{\text{ph}}}{1 + \Delta_{\text{gr}}}$$

$$\Delta_{\text{gr}} = 2\pi \int_R \eta_R \frac{v_0^2}{\omega} \frac{\partial \text{Re}f_R(0)}{\partial \omega} dR$$

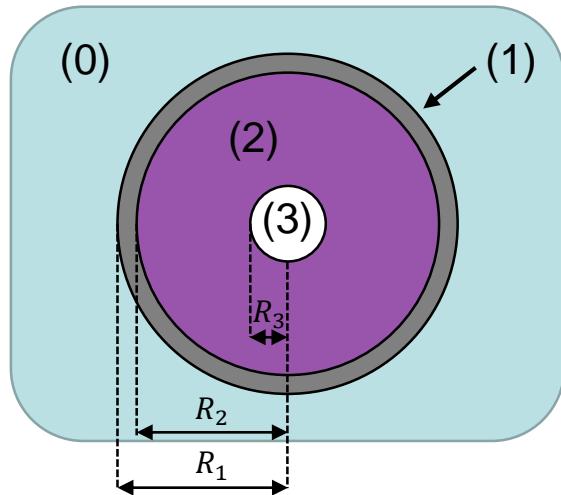
$$\nu_e = \frac{v_0^2/v_{\text{ph}}}{1 + \Delta_1 + \Delta_2}$$

$$\Delta_1 = \frac{v_{\text{ph}}}{v_0^2} \nu_{\text{gr}} \Delta_{\text{gr}}$$

$$\Delta_2 = 2\pi \nu_{\text{gr}} \int_R \int_\theta dR d\theta \eta_R \sin\theta |f_R(\theta)|^2 \frac{\partial \varphi_R(\theta)}{\partial \omega}$$

# Mesoscopic wave physics for biomass assessment

## Energy velocity of diffusive waves:



(0) sea water:  
 $v_{l0} = 1480 \text{ m/s}$   
 $\rho_0 = 1 \text{ g/cm}^3$

(2) fish flesh:  
 $v_{l2} = 1600 \text{ m/s}$   
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 $R_1 = 31 \text{ mm}$

(3) Swim bladder:  
~ vacuum  
 $R_1 = 5 \text{ mm}$

$$k^2(\omega) = k_0^2(\omega) + 4\pi \int_a \eta_a f_a(0) da$$

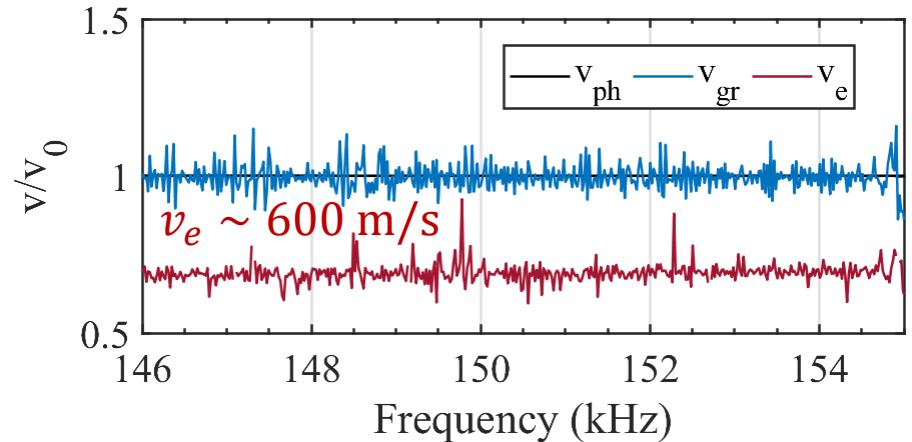
$$\nu_{\text{gr}} = \frac{v_0^2/v_{\text{ph}}}{1 + \Delta_{\text{gr}}}$$

$$\Delta_{\text{gr}} = 2\pi \int_R \eta_R \frac{v_0^2}{\omega} \frac{\partial \text{Re}f_R(0)}{\partial \omega} dR$$

$$\nu_e = \frac{v_0^2/v_{\text{ph}}}{1 + \Delta_1 + \Delta_2}$$

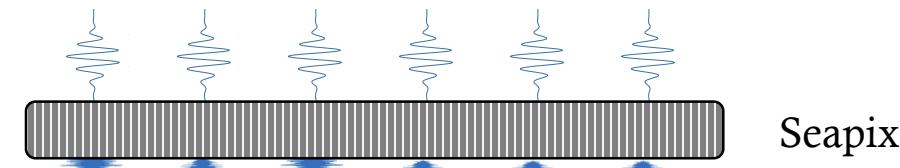
$$\Delta_1 = \frac{v_{\text{ph}}}{v_0^2} \nu_{\text{gr}} \Delta_{\text{gr}}$$

$$\Delta_2 = 2\pi \nu_{\text{gr}} \int_R \int_\theta dR d\theta \eta_R \sin\theta |f_R(\theta)|^2 \frac{\partial \varphi_R(\theta)}{\partial \omega}$$

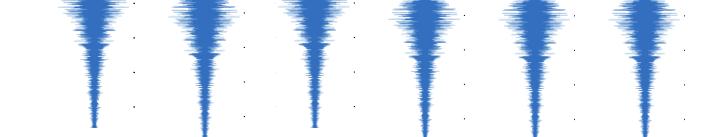




## Effet de rétrodiffusion cohérente : vers une estimation directe de la biomasse

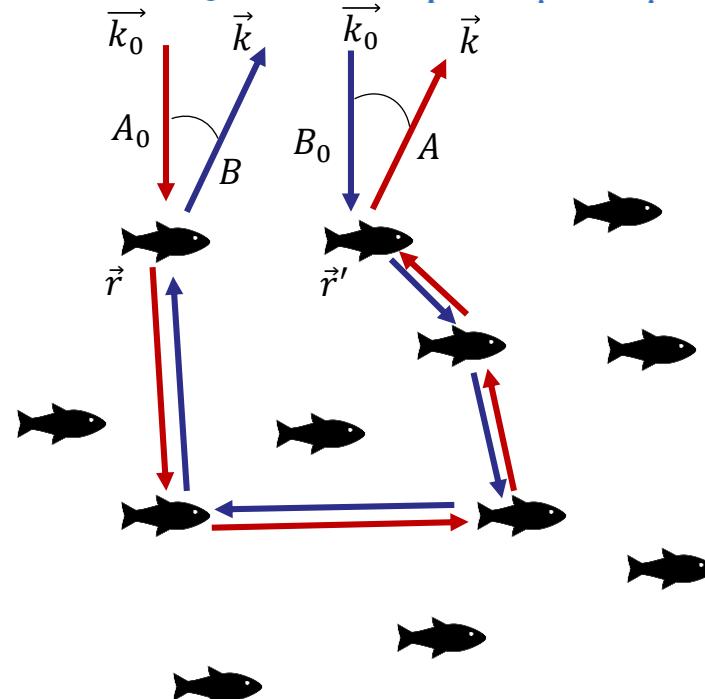


Seapix

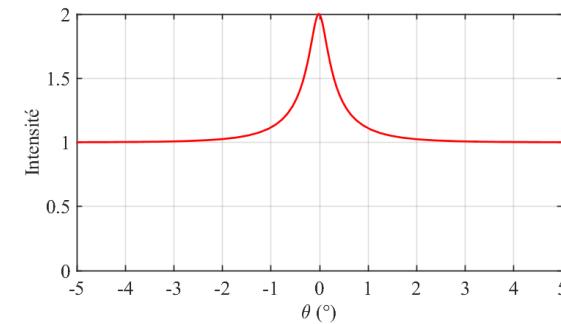


Avec boucles d'interférence

$$|A + B|^2 = 2|A|^2 \{1 + \cos[(\vec{k}_0 + \vec{k}) \cdot (\vec{r} - \vec{r}')]\}$$



Facteur 2 sur l'intensité dans la direction  $\vec{k} = -\vec{k}_0$ .



Gloires optiques :



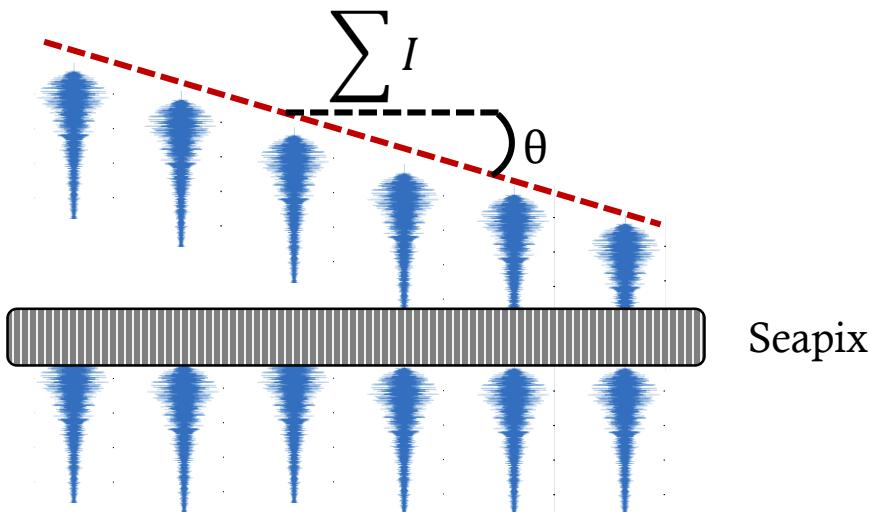
Linfo.re



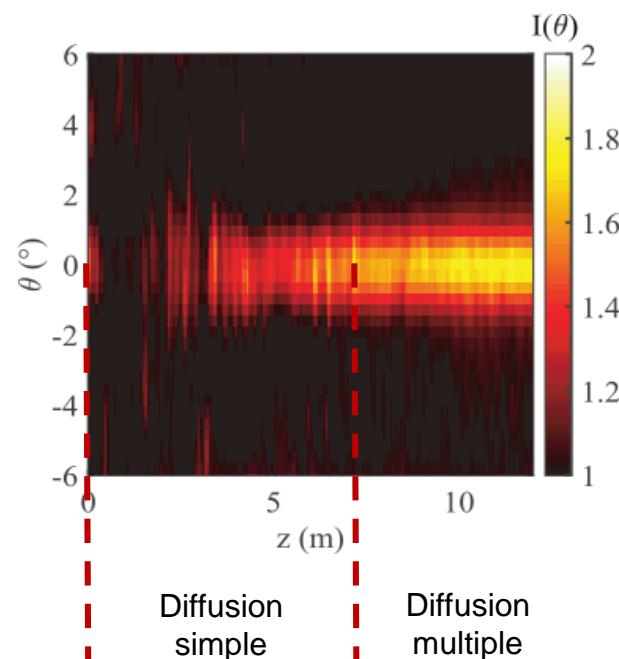
earthsky.org

## Effet de rétrodiffusion cohérente : vers une estimation directe de la biomasse

Déphasage sur chaque élément

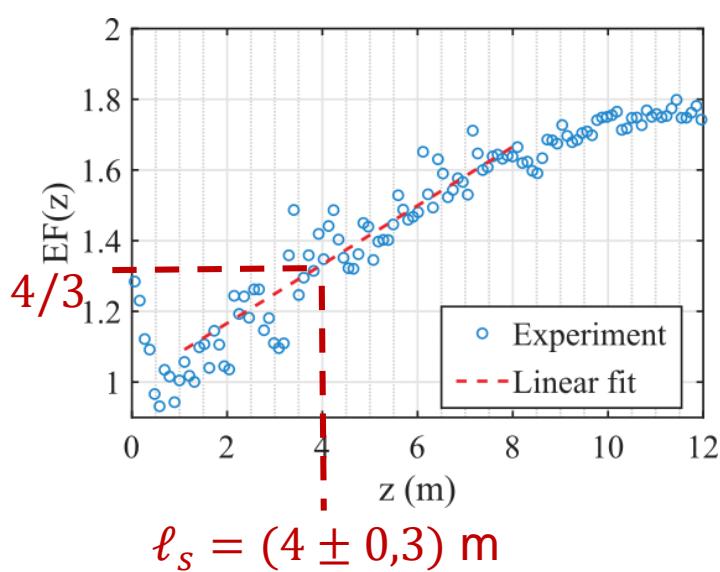


Mesure du cône de rétrodiffusion dans des bancs de saumons :



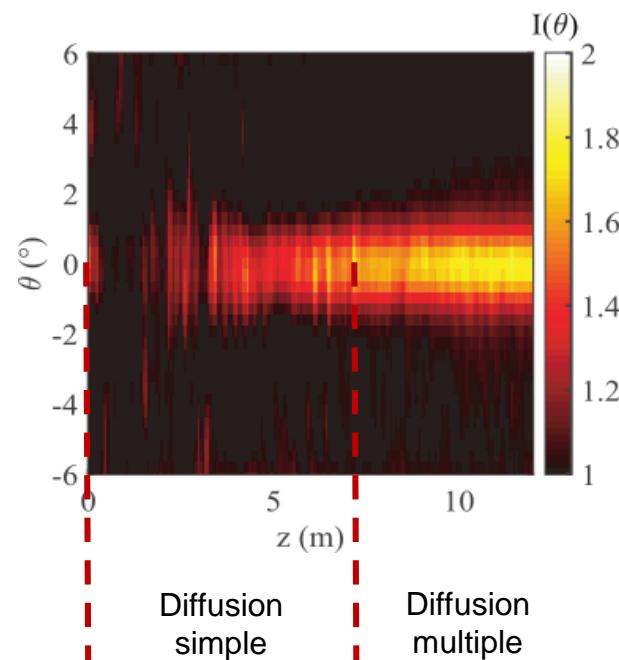
## Effet de rétrodiffusion cohérente : vers une estimation directe de la biomasse

Amplitude du cône :



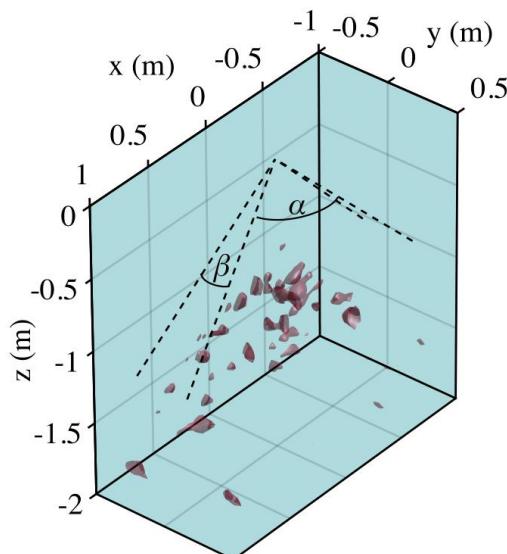
$$EF = \frac{I(0)}{I(\theta)} = \frac{2I_{DS}(0) + 2I_{DM}(0)}{2I_{DS}(\theta) + I_{DM}(\theta)}$$

Mesure du cône de rétrodiffusion dans des bancs de saumons :

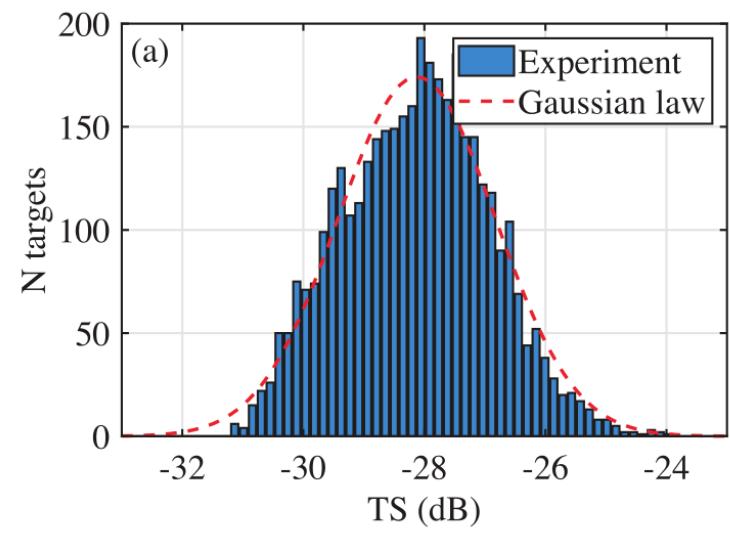


## Effet de rétrodiffusion cohérente : vers une estimation directe de la biomasse

Scan superficiel du banc (diffusion simple):



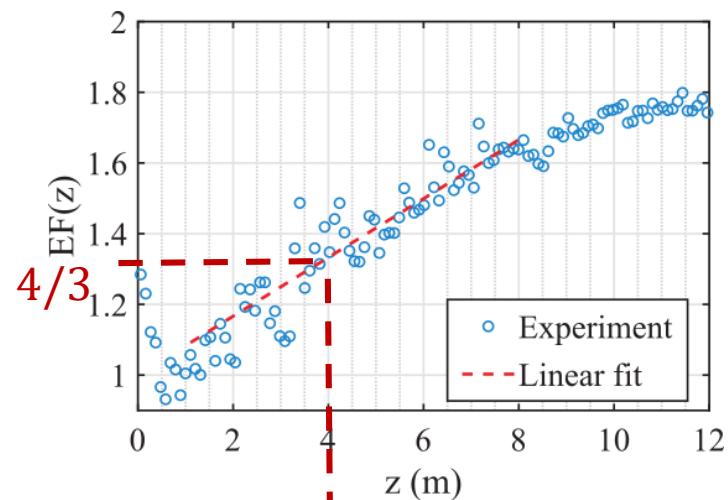
Distribution de TS:



$$TS = (-28 \pm 1) \text{ dB}$$

## Effet de rétrodiffusion cohérente : vers une estimation directe de la biomasse

Amplitude du cône :

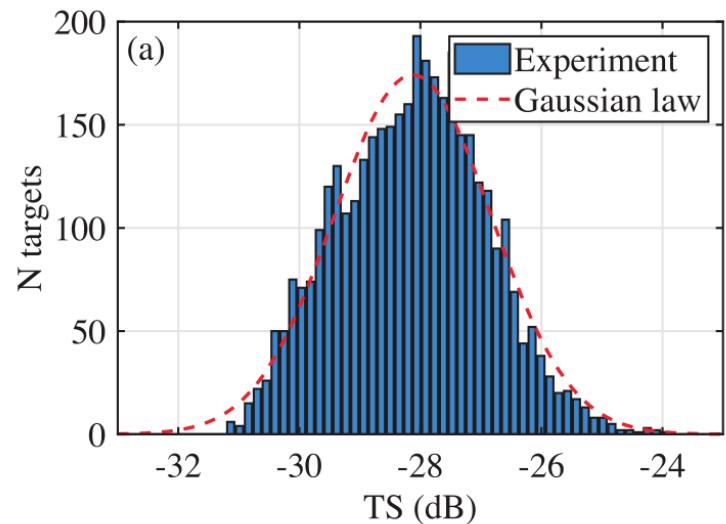


$$\ell_s = (4 \pm 0,3) \text{ m}$$

$$\eta \propto \frac{1}{10^{-TS/10} \times \ell_s}$$

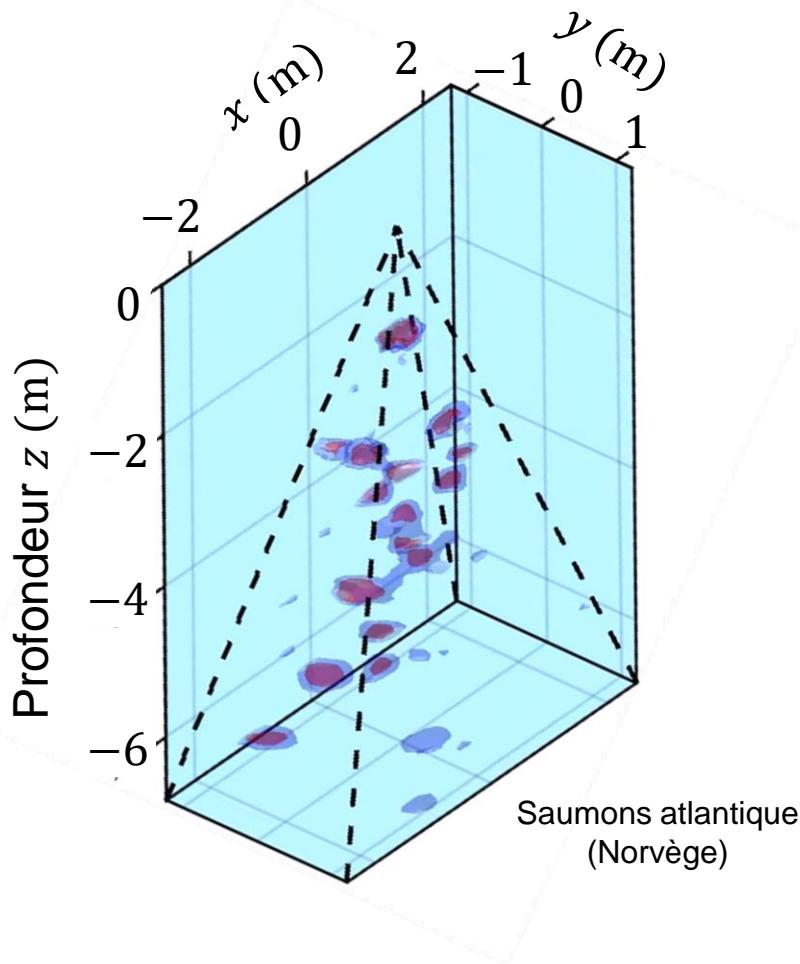
$$\eta = (7 \pm 1) \text{ poissons/m}^3$$

Distribution de TS:

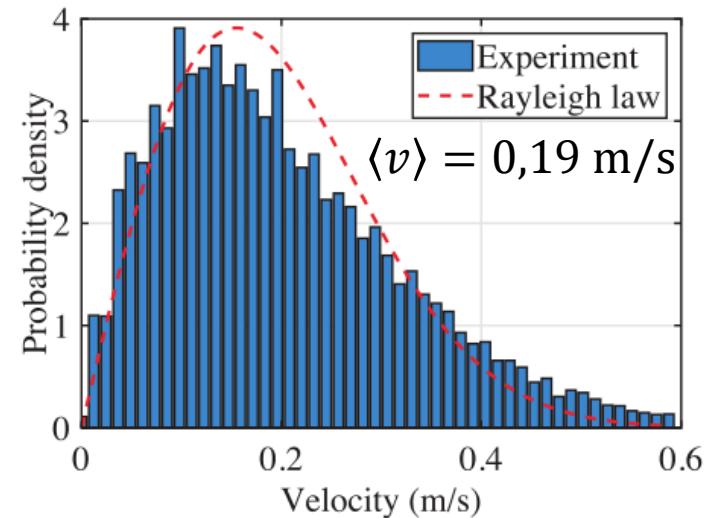


$$TS = (-28 \pm 1) \text{ dB}$$

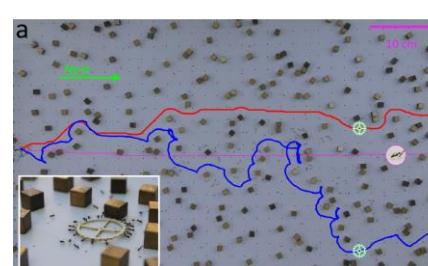
## Suivi de l'activité du banc



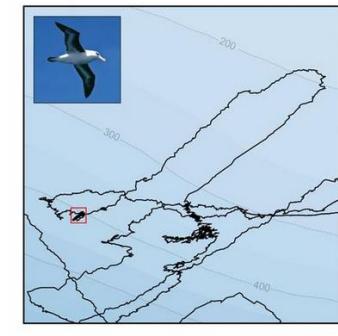
Distribution de Vitesses :



Distribution de Rayleigh = pas de corrélations de vitesses



A. Gelblum et al. eLife 9 (2020)

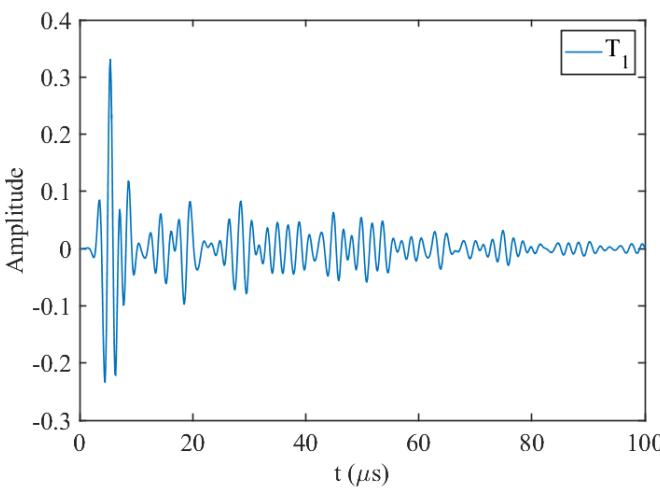
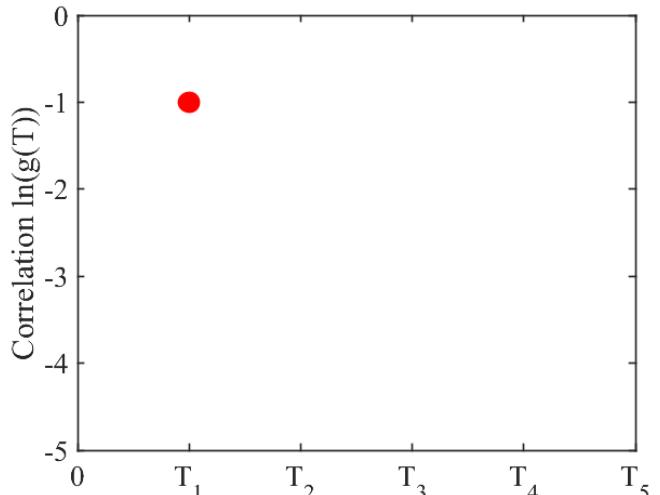
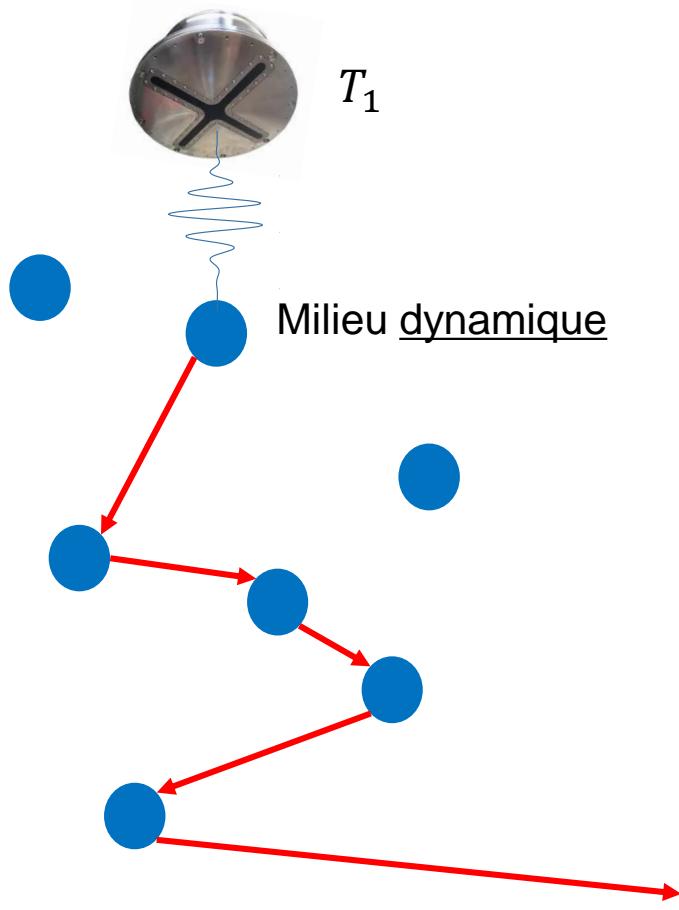


S. Ornes, PNAS 110 (2013)



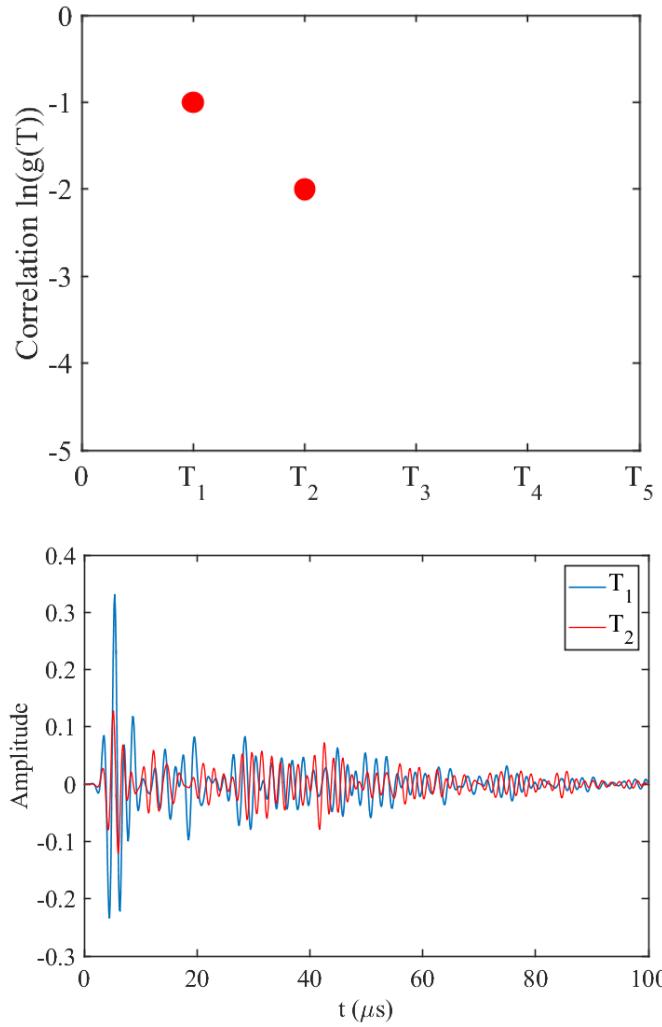
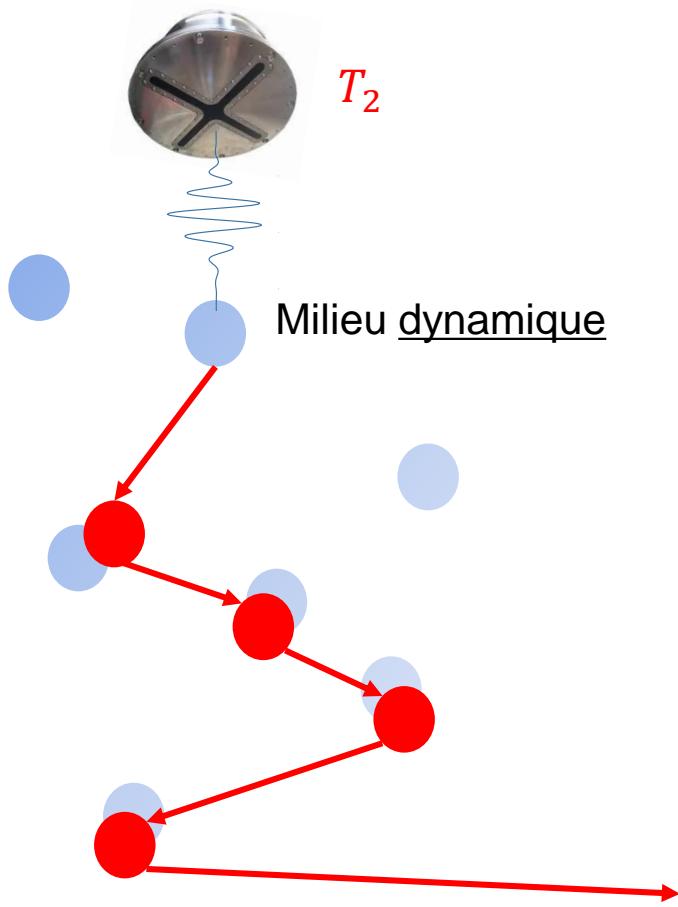
# Vibea

DWS: *Diffusing wave spectroscopy*



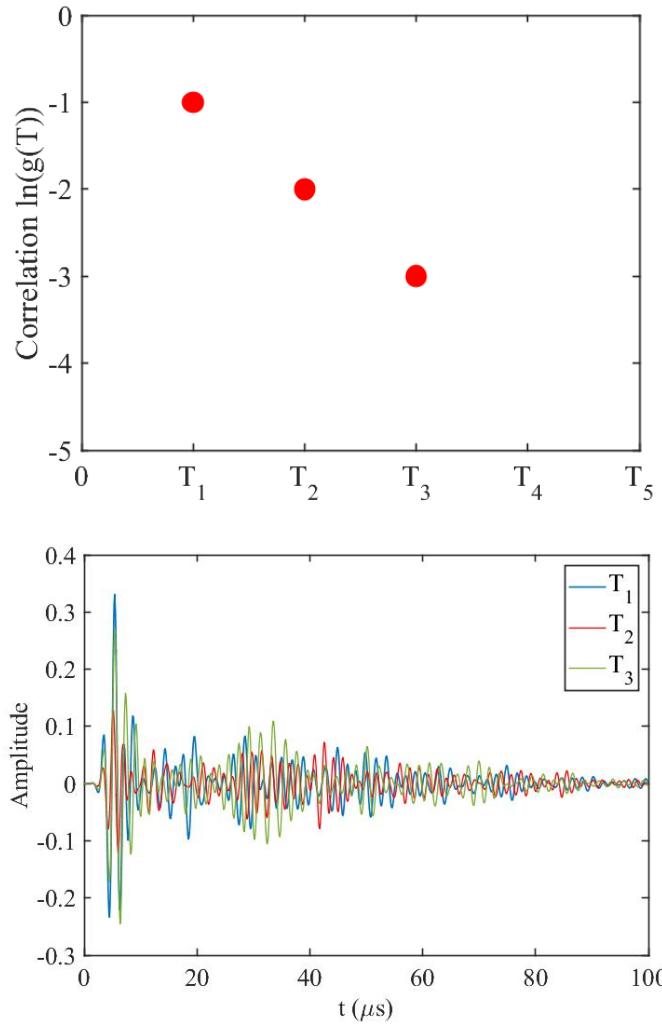
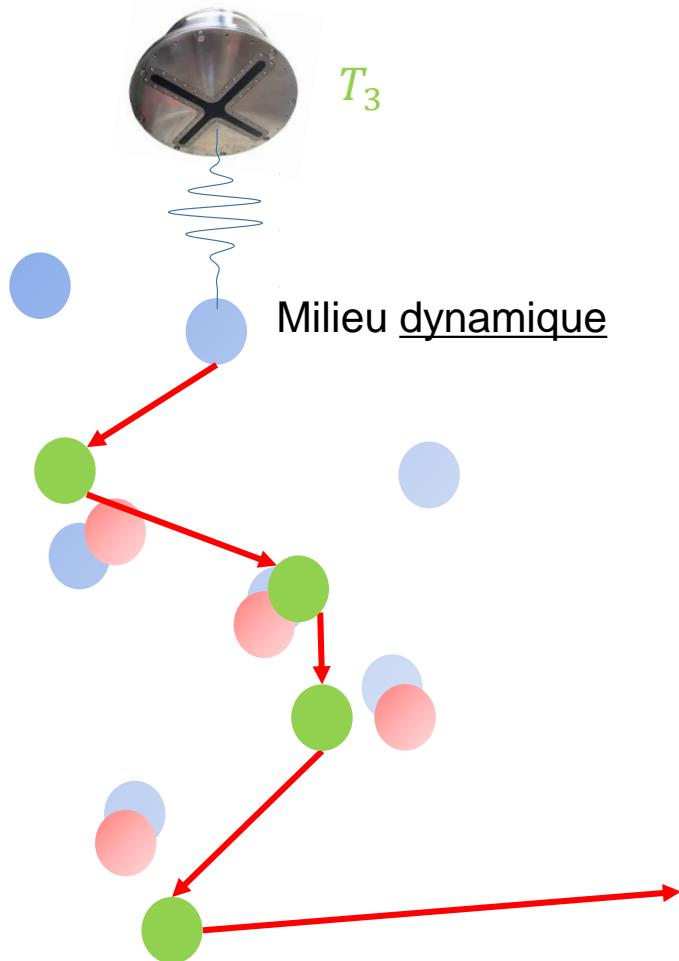
# Vibea

DWS: *Diffusing wave spectroscopy*



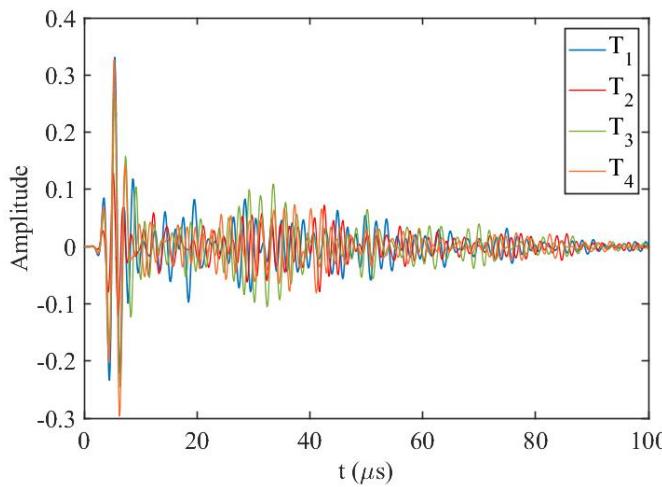
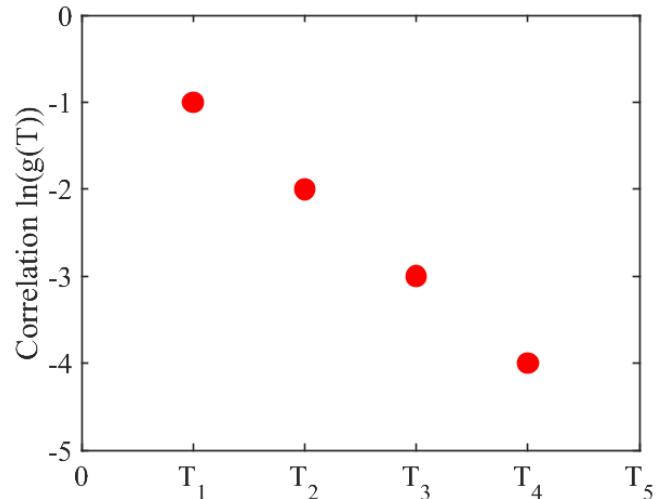
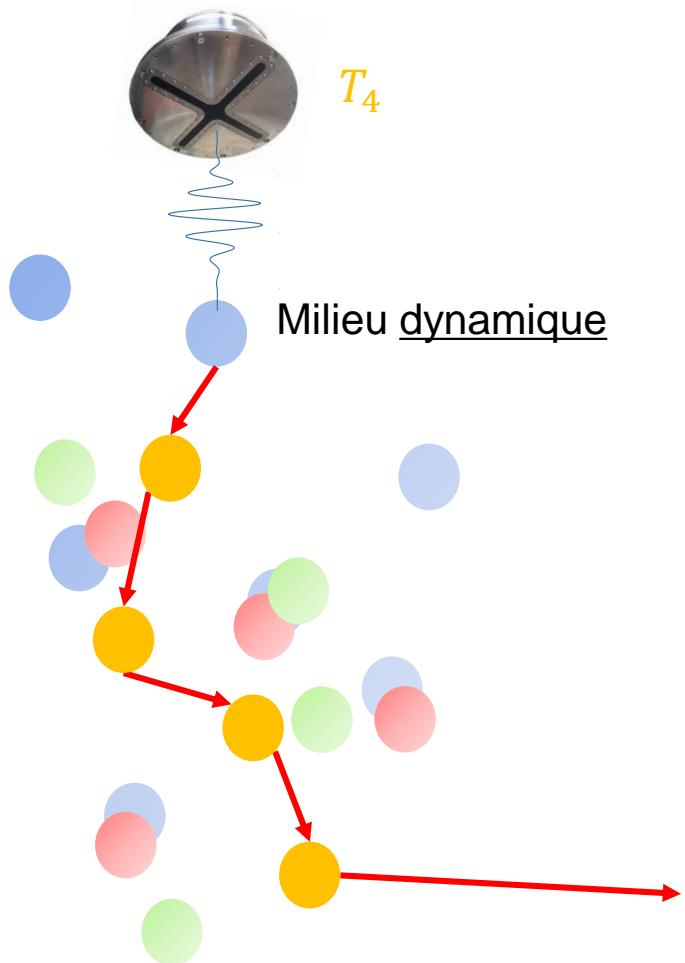
# Vibea

DWS: *Diffusing wave spectroscopy*

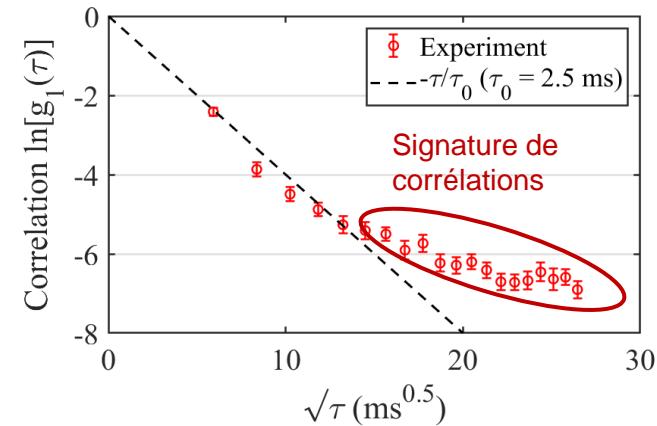
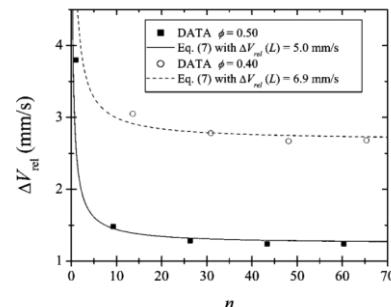
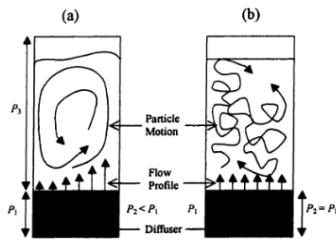


# Vibea

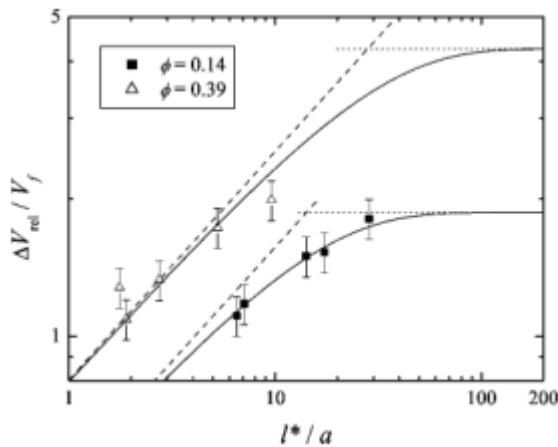
DWS: *Diffusing wave spectroscopy*



## DWS: Diffusing wave spectroscopy



Lorsque la dynamique est connue :



M. Cowan *et al.*, Phys. Rev. E **65**, 066605 (2002)

Spectroscopie acoustique  
(Daurades)



Étude de la dynamique  
du banc



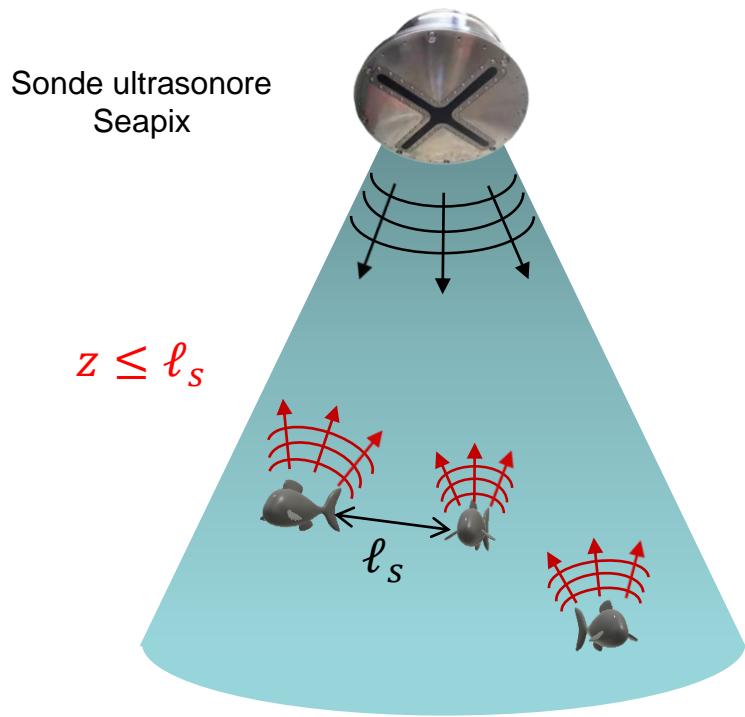
Estimation de la  
Densité du banc ?



# Shoal biomass estimation : low density

Poissons osseux = forts diffuseurs pour les ultrasons

Pour une faible densité de poissons:



Régime de diffusion simple  
⇒ Comptage traditionnel

